

**New Vocabulary**

**Scatterplot:** A set of points on a grid, used to visualize a relationship or possible trend in data.

**Polynomial Function:** A function that contains only the operations of multiplication and addition with real-number coefficients, whole-number exponents, and two variables.

For example:  $y = 5x^3 - 3x + 7$ ,  $y = -4x + 8$ ,  $f(x) = x^2 - 3x + 4$

**Degree:** The highest exponent in a polynomial function.

For example: The degree of  $y = 4x^3 - 8x^2 + 5$  is '3'.

**Leading Coefficient:** The coefficient of the term with the greatest degree in the polynomial function in standard form.

For example: The leading coefficient in the function  $f(x) = -5x^2 + 8x - 7$  is '-5'.

**Constant Term:** The term in the polynomial function that has no variable, i.e. the degree is '0'.

For example: The constant term in the function  $y = 4x^3 - 6x^2 - 7x + 1$  is '1'.

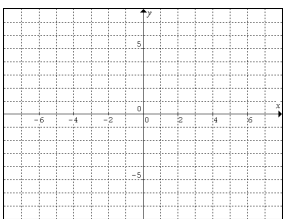
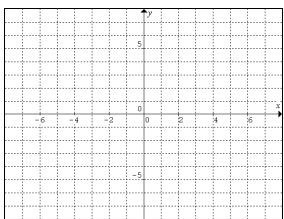
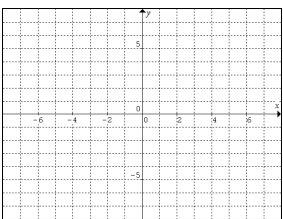
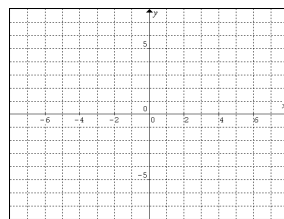
Linear Function	Quadratic Function	Cubic Function
A polynomial function of first degree, whose greatest exponent is '1'.	A polynomial function of second degree, whose greatest exponent is '2'.	A polynomial function of third degree, whose greatest exponent is '3'.
Standard Form is $f(x) = ax + b$ , where $a \neq 0$ .	Standard Form is $f(x) = ax^2 + bx + c$ , where $a \neq 0$ .	Standard Form is $f(x) = ax^3 + bx^2 + cx + d$ , where $a \neq 0$ .
Examples: $y = 2x - 3$ , $f(x) = -\frac{2}{3}x + 4$	Examples: $y = x^2 - 3x + 4$ , $f(x) = -\frac{1}{2}x^2 + 4x + 5$	Examples: $y = x^3 - 3x + 2$ , $f(x) = -2x^3 + 4x^2 + \frac{3}{4}$

**End Behaviour:** The behaviour of the y-values of the function as  $|x|$  becomes very large.

**Turning Point:** Any point where the graph of a function changes from increasing to decreasing or decreasing to increasing.

## Investigate the Math

Using your graphing calculator, graph each of the following functions then complete the table.

Type of Function	Constant	Linear	Quadratic	Cubic
Function	$y = 4$	$y = \frac{1}{2}x - 3$	$y = x^2 - 3x - 4$	$y = x^3 - 2x^2 - 3x$
Degree				
Leading Coefficient				
Constant Term				
Sketch				
Number of x-intercepts				
Domain				
Range				

Let's look at the end behaviour if the leading coefficient is positive versus if it is negative. Describe where the arms are extended.

- Graph  $y = 2x - 4$  and  $y = -x + 1$  and discuss end behaviour.
- Graph  $y = x^2 - 4x - 5$  and  $y = -x^2 + 4$  and discuss end behaviour.
- Graph  $y = x^3 - x^2 - 2$  and  $y = -x^3 + 4x^2 - 3x$  and discuss end behaviour.